# Computational Morphology 

Morphological Operations: Prosodic Circumscription

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## Literature

- McCarthy, J. and Prince, A., 1990. „Foot and word in prosodic morphology: The Arabic broken plural." Natural Language and Linguistic Theory 8, 209-284.
- Roark, B. and Sproat, R., 2007. Computational Approach to Morphology and Syntax. New York, NY: Oxford University Press.


## Prosodic Circumscription

- Prosodic Circumscription of Domains:
,"The domain to which morphological operations apply may be circumscribed by prosodic criteria as well as by the more familiar morphological ones. In particular, the minimal word within a domain may be selected as the locus of morphological transformation in lieu of the whole domain."

McCarthy and Prince (1990)

## Prosodic Circumscription



The base $(B)$ is factored into a prosodically defined unit $(B:)$ concatenated ${ }^{(*)}$ with residue ( $B /$ ):


## Prosodic Circumscription

- Prosodic morphological operations may either apply to the prosodically defined unit $B$ : or to the residue $B /$.
$\square$ Given an operation $O$, we can define operations $O$ : and $O /$ as follows:
(1) $\mathrm{O}:=\mathrm{O}(\mathrm{B}:)^{*} \mathrm{~B} / \quad$ [positive circumscription]
(2) $\mathrm{O} /=\mathrm{B}:{ }^{*} \mathrm{O}(\mathrm{B} /) \quad$ [extrametricality]
- In (1) we factor the base into $B$ : and $B /$, apply $O$ to $B:$; and reconstititute $O$ (B:) with $B /$. We define $B$ : as the prosodic domain to which operations apply.
- In (2) we factor the base, apply O to B/ and then reconstitute the result. We defined B : as prosodic domain to ignore and apply the operation to the residue.


## Prosodic Circumscription

- Positive circumscription and extrametricality are common phenomena in morphology.
- An example for extrametricality is infixation in many Philippine languages - we ignore the first onset of a word, and attache the infix as a prefix to the reminder. Example 1:

$$
\begin{array}{ll}
\text { tawag } & \text { | call } \\
\text { tumawag } & \text { | call (perfective) }
\end{array}
$$

- Excercise 1: draw a transducer where the affix um is placed either as an infix, like in the example above, when it proceedes after a consonant (C), or as an prefix, when the first letter of the infinite form is a vowel (V).


## Prosodic Circumscription

- Excercise 1:

C-consonant
V-vowel


Id ( $\Sigma^{*}$ ) - regular language

## Prosodic Circumscription

- As we can see in example 1, we can characterize the prosodic circumscription in terms of the finite-state operation of composition.
- The transducer $\mathbf{T}$ from example 1 can be defined as follows:

$$
\mathrm{T}=\mathrm{C} ?[\varepsilon: u m] \vee \Sigma^{*}
$$

- As for the example 1 (t-um-awag), we can characterize -um- either as prefixing to the residue (-awag), or as suffixing to the prosodically defined unit $t$-.


## Prosodically Governed Concatenation

- An example of affixes with prosodic restrictions on their attachment are the English comparative affix -er and the superlative affix -est. These affixes are restricted to bases that are monosyllabic or disyllabic adjectives. E.g.:

| fat | fatter | fattest |
| :--- | :--- | :--- |
| yellow | yellower | yellowest |
| curious | *curiouser | *curiousest |

- We can characterize the base to which the comparative affix attaches as follows:

$$
B=C^{*} V C^{*}\left(\mathrm{VC}^{*}\right) ?
$$

## Prosodically Governed Concatenation

- The comparative affix $\kappa$ is characterized as follows:

$$
\kappa=\mathrm{B}[\varepsilon: e r][+\mathrm{COMP}]]
$$

where B ist the base $\mathrm{B}=\mathrm{C}^{*} \mathrm{VC}^{*}\left(\mathrm{VC}^{*}\right)$ ?
$\square$ Composing a base adjective A with $\kappa$ would yield a non-null output 「 just in case the base A matches B:

$$
\Gamma=A \circ \kappa
$$

- More problematic are cases where the affix provides the template for the stem, insetad of selecting for stems that have certain prosodic forms (see exercise 2).


## Prosodically Governed Concatenation

$\square$ Exercise 2: what are the affixation rules in the following example (for the template affixes)? Draw a transducer for -? a affixation.

| ROOT | Neutral affixes |  | Template affixes |  |
| :--- | :--- | :--- | :--- | :--- |
|  | - -al | $-\dagger$ | -inay | -?aa |
| caw | caw-al | caw- $\dagger$ | caw-inay | cawaa-?aa-n |
| cuum | cuum-al | cuum- $\dagger$ | cum-inay | cumuu-?aa-n |
| hoyoo | hoyoo-al | hoyoo- $\dagger$ | hoy-inay | hoyoo-?aa-n |
| diiyl | diiylal | diiyl- $\dagger$ | diyl-inay | diyiil-?aa-n |
| ? ?ilk | ? ?ilk-al | ? ?ilk- $\dagger$ | ? ?ilk-inay | ? ?iliik-?aa-n |
| hiwiit | hiwiit-al | hiwiit- $\dagger$ | hiwt-inay | hiwiit-?aa-n |

## Prosodically Governed Concatenation

- Exercise 2: the affix -inay requires the stem to match the template CVC(C). The template T for CVC(C) can be characterized as follows:

$$
\mathrm{T}_{\mathrm{CVC}(\mathrm{C})}=\mathrm{CV}[\mathrm{~V}: \varepsilon]^{*} \mathrm{C}[\mathrm{~V}: \varepsilon]^{*} \mathrm{C} \text { ? }
$$

$\checkmark$ only the first vowel ist preserved
$\checkmark$ any vowels after the second consonant are deleted

E Examples for composing $\mathrm{T}_{\mathrm{CVC}(\mathrm{C})}$ with particular stems:

$$
\begin{aligned}
& \text { hoyoo o } T_{\mathrm{CVC}(\mathrm{C})}=\text { hoy } \\
& \text { hiwiit } \circ \mathrm{T}_{\mathrm{CVC}(\mathrm{C})}=\text { hiwt }
\end{aligned}
$$

## Prosodically Governed Concatenation

- Exercise 2: the affix -? aa requires the template CVCVV(C). The template T for CVCVV(C) can be characterized as follows:

$$
\mathrm{T}_{\mathrm{CVCVV}(\mathrm{C})}=\mathrm{CV}[\mathrm{~V}: \varepsilon] ? \mathrm{C}(\mathrm{~V} \cup[\varepsilon: \mathrm{V}])(\mathrm{V} \cup[\varepsilon: \mathrm{V}]) \mathrm{C} \text { ? }
$$

$\checkmark$ forces the first $\vee$ to match the vowel of the root
$\checkmark$ allows no second vowel in the root‘s first syllable
$\checkmark$ allows two vowels followed optionally by a consonant

## Prosodically Governed Concatenation

- Simplified trandsucer for the suffix -? an and template CVCVV(C) (only for the vowel o):


