Tree Adjoining Grammars Exercises

Laura Kallmeyer, Simon Petitjean

Wintersemester 2015/2016

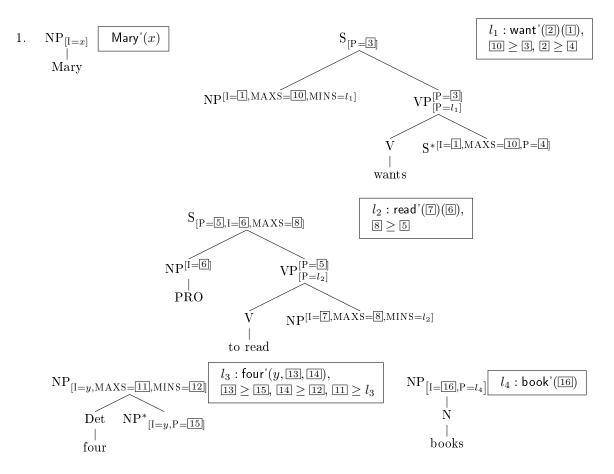
Exercise 1 (05.02.2016) Consider the sentence (1-a). It has the two readings (1-b) (Mary wants to bring about a situation where she has read four books, no matter which ones) and (1-c) (there are four specific books such that Mary wants to read each of them).

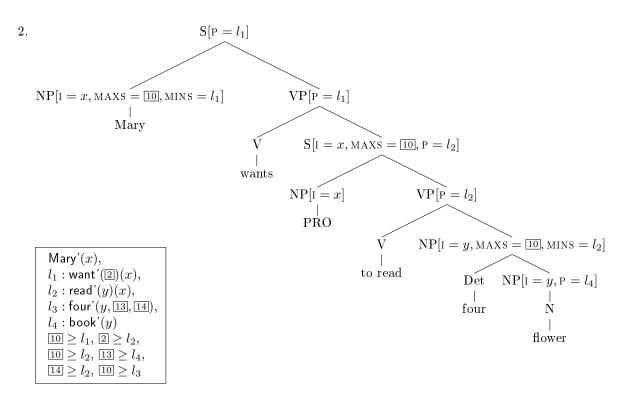
- (1) a. Mary wants to read four books.
 - b. $Mary'(x) \land want'(four'(y, book'(y), read'(y)(x)))(x)$
 - c. $Mary'(x) \wedge four'(y, book'(y), want'(read'(y)(x))(x))$

Show how the approach of LTAG with unification-based semantics can derive these readings. More precisely, give

- 1. the elementary pairs of trees and semantic representations used for (1);
- 2. the derived tree and the derived underspecified semantic representation.

Solution:





Exercise 2 (05.02.2016) Consider the sentence (2-a). It has two possible scope readings, namely every' scoping over think', which scopes in turn over most', and most' scope over a' (possibly different castles for the different princesses) and, as a second possibility, every' scoping over think', which scopes over a', and a' scope over most' (the princesses own the same castle together).

- (2) a. Every girl thinks most princesses own a castle.
 - b. every' > think' > most' > a'
 - c. every' > think' > a' > most'

Show that the approach of LTAG with unification-based semantics derives exactly these readings. More precisely, give

- 1. the elementary pairs of trees and semantic representations used for (2-a);
- 2. the derived tree and the derived underspecified semantic representation.

Solution:

1.
$$NP_{[I=x,MAXS=1],MINS=2]} \begin{bmatrix} l_1 : every'(x, [4], [5]), \\ (4 \ge [3], [5 \ge [2], [1 \ge l_1]) \\ \vdots \\ \vdots \\ every \end{bmatrix} \begin{bmatrix} l_2 : girl'([6]) \\ \vdots \\ N \\ \vdots \\ girl \end{bmatrix}$$
$$NP_{[I=y,MAXS=7],MINS=8]} \begin{bmatrix} l_3 : most'(y, [10], [11]), \\ 10 \ge [9], [11 \ge [8], [7] \ge l_3 \end{bmatrix}$$
$$NP_{[I=2],P=l_4]} \begin{bmatrix} l_4 : princess'([12]) \\ \vdots \\ N \\ i \\ n \\ i \\ n \\ i \\ princesses \end{bmatrix}$$

