Hausser. 1988. Left-Associative Grammar: The Algebraic Definitions. *Computers and translation*, 3, 121-155

$$r_i$$
: [CAT-1 CAT-2]  $\Rightarrow$  [rp<sub>i</sub> CAT-3]

### 3.1 The Definition of $a^kb^kc^{k5}$

```
LX =<sub>def</sub> {[a (bc)], [b (b)], [c (c)]}

ST<sub>S</sub> =<sub>def</sub> {({r-1, r-2} (bc))}

r-1: [(X) (bc)] \Rightarrow [{r-1, r-2} (bXc)],

r-2: [(bXc) (b)] \Rightarrow [{r-2, r-3} (Xc)],

r-3: [(cX) (c)] \Rightarrow [{r-3} (X)]

ST<sub>F</sub> =<sub>def</sub> {[rp-3 \epsilon]}.
```

```
Input:
                                                             b b

↓ lexical look-up ↓

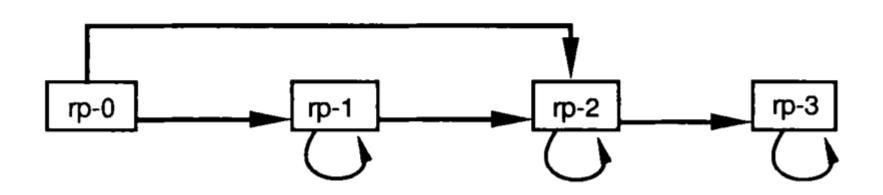
                                         r-1:
                                                  aaabbbcc
                                                 (bc)(bc)(bc) (b) (b) (c) (c) (c)
                                           r-1:
                                                          a b b b c c
                                                    aa
                                                  (bbcc) (bc) (b) (b) (c) (c) (c)
                                             r-2:
                                                              b b b c
                                                      aaa
                                                    (bbbccc) (b) (b) (c) (c) (c)
                                                         aaab b b c c
                                               r-2:
                                                        (bbccc) (b) (b) (c) (c) (c)
                                                  r-2:
                                                             aaabb
                                                                      b c c
3.1 The Definition of a^kb^kc^{k5}
                                                                     (b) (c) (c) (c)
                                                             (bccc)
                                                               aaabbb
                                                    r-3:
                                                                        с с с
 LX =_{def} \{ [a (bc)], [b (b)], [c (c)] \}
                                                                (ccc) (c) (c)
 ST_S =_{def} \{(\{r-1, r-2\} (bc))\}
                                                       r-3:
                                                                  aaabbbc
                                                                              С
                                                                                  С
 r-1: [(X) (bc)] \Rightarrow [\{r-1, r-2\} (bXc)],
                                                                    (cc)
                                                                             (c) (c)
 r-2: [(bXc) (b)] \Rightarrow [\{r-2, r-3\} (Xc)],
                                                         r-3:
                                                                    aaabbbcc
                                                                                  С
 r-3: [(cX) (c)] \Rightarrow [\{r-3\} (X)]
                                                                        (c)
                                                                                 (c)
 ST_F =_{def} \{ [rp-3 \epsilon] \}.
                                                                     aaabbbccc
                                                                         \epsilon
```

```
*START-0
1
  (BC) A
                             (C C) A A A B B B C
  (B C) A
                             (C) C
*RULE-1
                          *RULE-3
2
                          8
  (BBCC) AA
                             (C) A A A B B B C C
  (B C) A
                             (C) C
*RULE-1
                          *RULE-3
3
                          9
  (BBBCCC) AAA
                              (NIL) A A A B B B C C C
  (B) B
*RULE-2
4
 (BBCCC) AAAB
  (B) B
*RULE-2
5
  (BCCC) AAABB
  (B) B
*RULE-2
6
  (C C C) A A A B B B
  (C) C
*RULE-3
7
```

### 3.1 The Definition of $a^kb^kc^{k5}$

LX =<sub>def</sub> {[a (bc)], [b (b)], [c (c)]}  
ST<sub>S</sub> =<sub>def</sub> {({r-1, r-2} (bc))}  
r-1: [(X) (bc)] 
$$\Rightarrow$$
 [{r-1, r-2} (bXc)],  
r-2: [(bXc) (b)]  $\Rightarrow$  [{r-2, r-3} (Xc)],  
r-3: [(cX) (c)]  $\Rightarrow$  [{r-3} (X)]  
ST<sub>F</sub> =<sub>def</sub> {[rp-3  $\epsilon$ ]}.

#### 8.3 The Control Structure of an LA-Grammar (Final Notation)



# LAN versus RTN/ATN

In summary, the representation of LANs à la 8.3 differs from conventional networks (including finite-state networks) in that

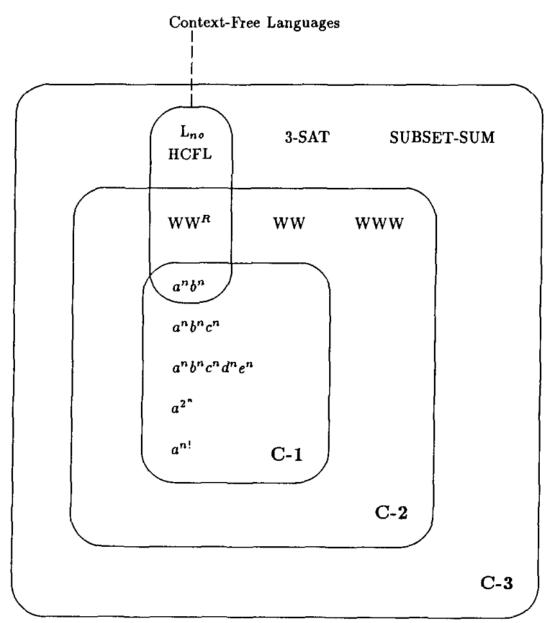
- (i) 'roles' are represented in LANs by rule names;
- (ii) 'states' are represented in LANs by the successful application of a rule;
- (iii) categories are handled only rule-internally in LANs; and
- (iv) rules in LANs handle only single transitions, consisting of the left-associative composition of a sentence start and a new word.

Finally, LANs differ from RTNs and ATNs in that

- (i) LANs do not contain any sub-networks, and
- (ii) LANs do not contain 'jumps'.

Hausser (1991): Complexity in Left-Associative Grammar. *ThCoSc.* 106,

283-308.



## Weitere Fragen

- LAG versus CCG?
- LAG und satzmediale Linksrekursion?
- Zusammenspiel mit Semantik? Passiv?
- Gilt die Kritik an ATNs auch für LAG?